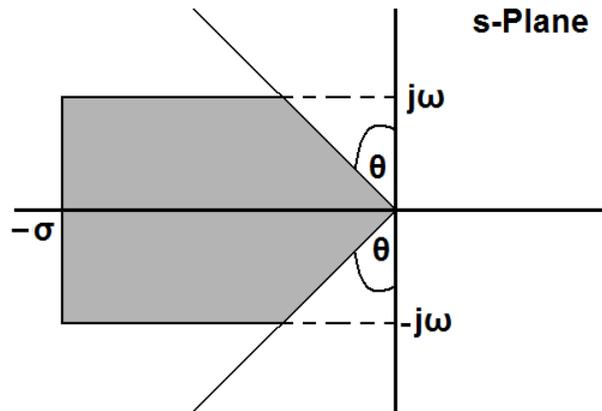




- 1- Write a computer program (MATLAB/C++) to map the shaded region in the figure below from s-plane to z-plane. Consider the parameters  $\theta$ ,  $\sigma$ , and  $\omega$  as inputs to your program.



- 2- Determine the stability of the roots of the following characteristic equations:-

a-  $z^4 - z^3 + 2.1z^2 + 1.44z - 0.32 = 0.$

b-  $z^5 + 0.2z^4 + z^2 + 0.3z - 0.1 = 0.$

c-  $z^5 - 0.25z^4 + 0.1z^3 + 0.4z^2 + 0.3z - 0.1 = 0.$

- 3- Use the Jury-Stability criterion to find the stable range of K for the closed loop unity feedback systems with loop gain:-

a.  $G(z) = \frac{K(z-1)}{(z-0.1)(z-0.8)}$

b.  $G(z) = \frac{K(z+0.1)}{(z-0.7)(z-0.9)}$

- 4- Determine the stable range of the parameter a for the closed-loop unity feedback systems with loop gain:-

a.  $G(z) = \frac{1.1(z-1)}{(z-a)(z-0.8)}$

b.  $G(z) = \frac{1.2(z+0.1)}{(z-a)(z-0.9)}$

- 5- Write a computer program that determines the stability of the roots of a given characteristic equation.

- 6- Consider the following characteristic equation where a, b, and c are real numbers:-

$$z^3 + az^2 + bz + c = 0.$$

- a. The above equation can be decomposed into  $(z-r_1)(z-r_2)(z-r_3) = (z-r_1)(z^2+dz+f)=0$ . At least, the equation has one real root (assume  $r_1$ ). Write a computer program to

